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MULTI-OBJECTIVE OPTIMISATION FOR THE INVERSE ANALYSIS OF DESIGN REQUIREMENTS FOR LOW TECHNOLOGY READINESS LEVEL TECHNOLOGIES

Chair of
Energy Systems &
Energy Economics

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Motivation

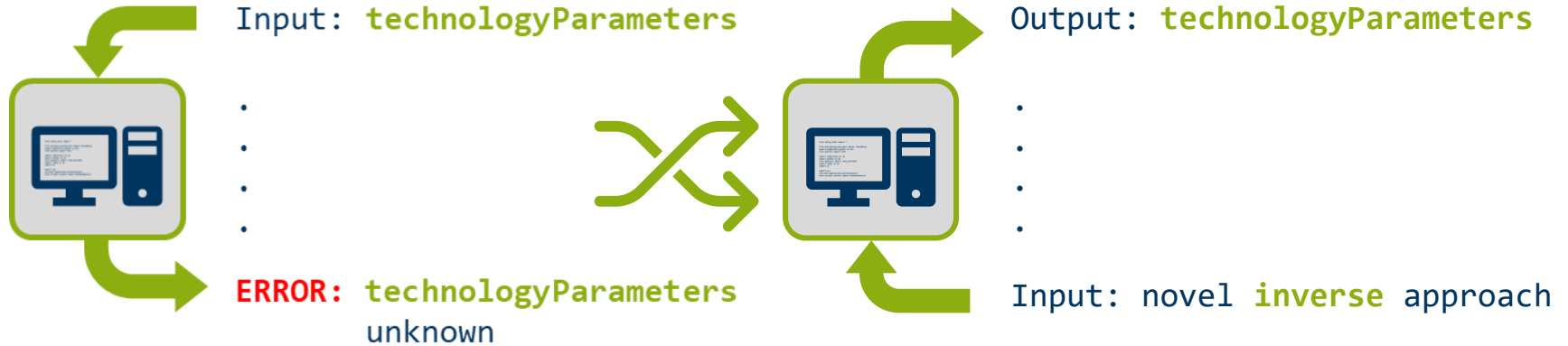
Background



Motivation

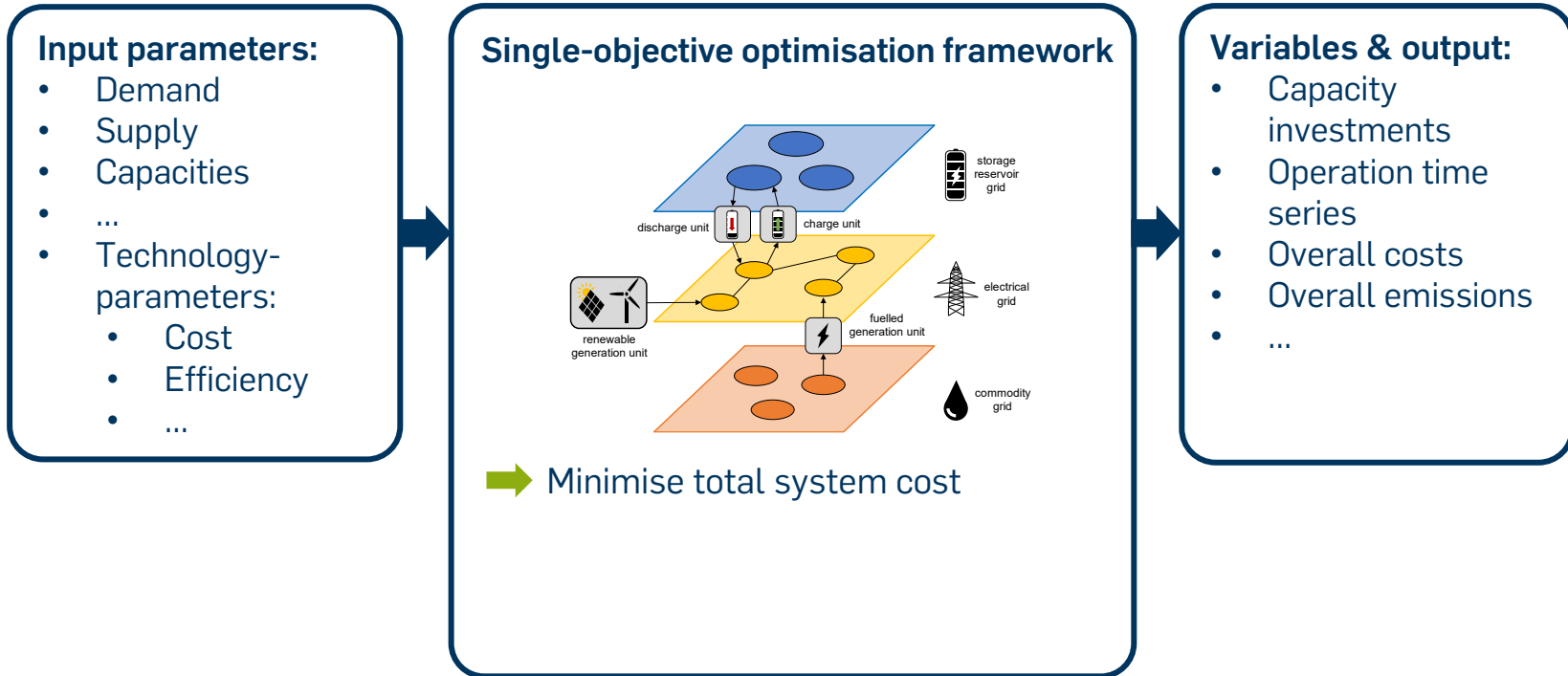
- **Low technology readiness level (TRL) technologies:**
 - Highly uncertain
 - Lacking in models and simulations
 - Lacking in research
- **Relevance:**
 - Potentials for future energy systems
 - Low TRL =
 - High design flexibility
 - Low invested assets

Aim

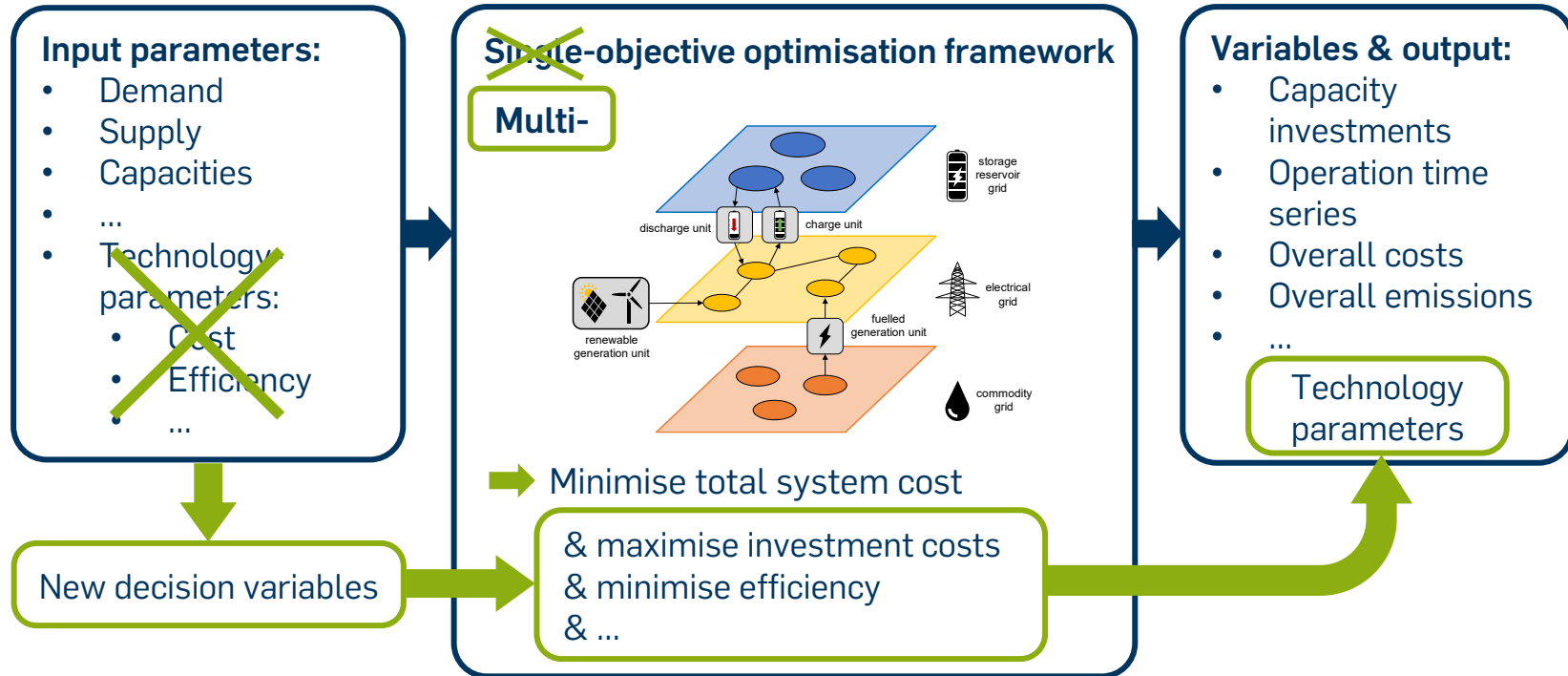


Methods

Inverted methodology – general approach (1)



Inverted methodology – general approach (2)



Inverted methodology – general approach (3)

1. Problem **formulation**:
 - a) Chose or define method to **solve multi-objective optimisation problems**
 - b) Apply method to **inverted** methodology
2. Generate set of **Pareto-optimal solutions**:
 - a) Chose or define approach to **build a Pareto-front**
 - b) Apply approach to **inverted** methodology
3. Conduct **trade-off analysis** and further research

1a) Problem formulation – general method

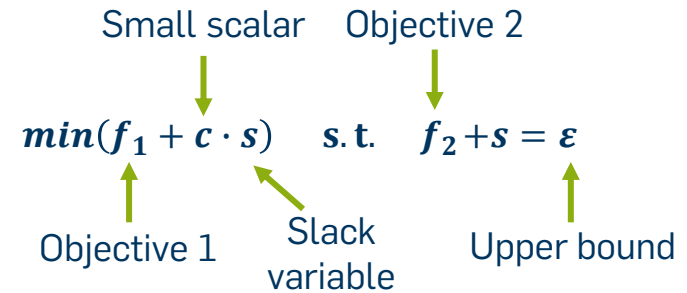
- **Augmented epsilon-constraint method (AUGMECON):**

1. Reformulate all but one objective function into constraints

- Introduce positive constant $c \approx 10^{-6} \dots 10^{-3}$
- Introduce positive slack variables s
- Transform inequalities into equations

2. Give constraints an upper bound ε

3. Optimise only the remaining objective function



1b) Problem formulation – inverted approach

1. Introduce new variable to system:

- $v^{investCost_{opt}}$

2. Insert new quadratical term into cost-describing function:

- $v^{investCost_{opt}} \cdot v^{investLP}$

a) Use term in new objective function:

- $\min (totalCost + c \cdot s)$
s. t. $\max v^{investCost_{opt}} + s = v^{investCost_{opt}}$
- RQ: lower limits of total system costs
where new technology is still invested

b) Use term as new constraint:

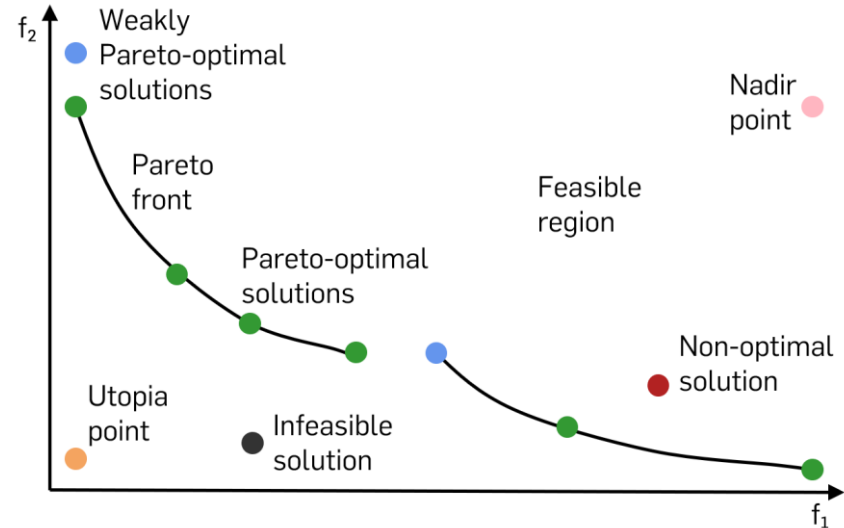
- $\max (v^{investCost_{opt}} + c \cdot s)$
s. t. $\min totalCost - s = totalCost$
- RQ: upper limits for a new
technologie's investment cost

➡ Find Pareto-optimal solutions

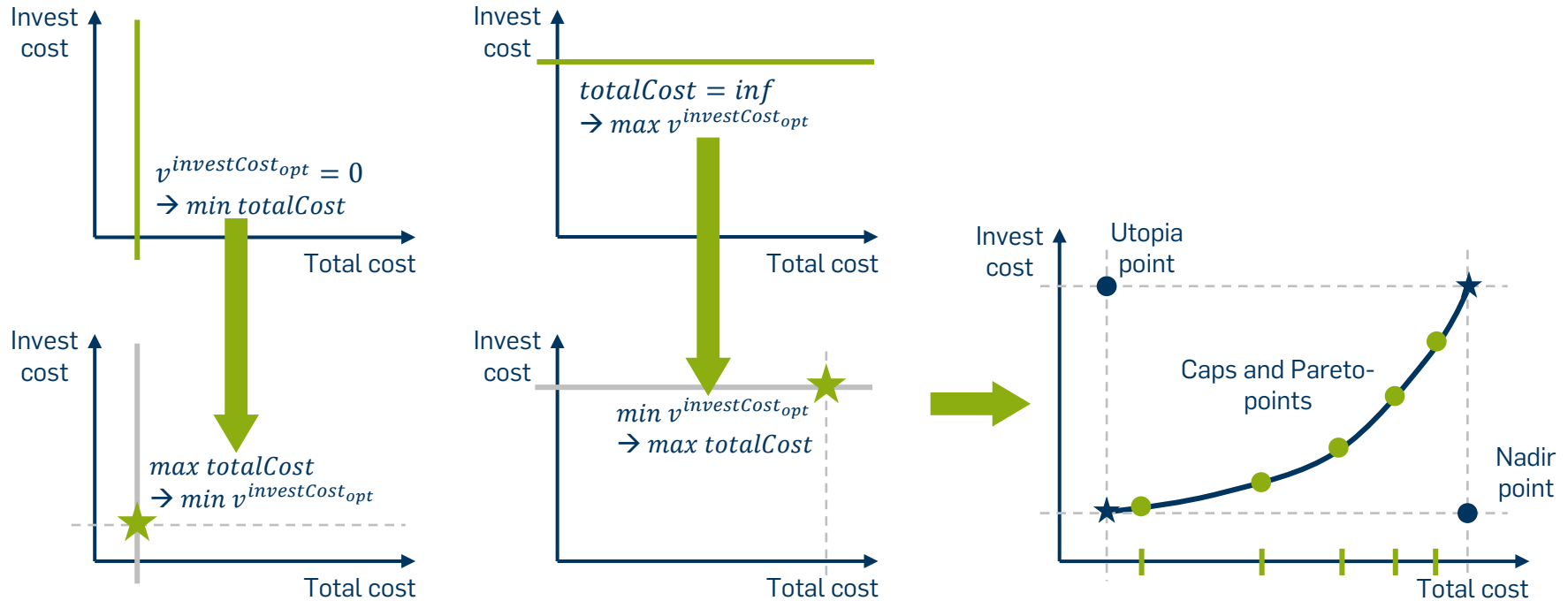
2a) Pareto solutions – general approach

- **Generating Pareto-fronts:**

1. Perform two lexicographic optimisations to determine single-objective optima as boundaries
2. Decide on number and distribution of caps (= upper bounds ε)
3. Solve problem for each cap with multi-objective-optimisation

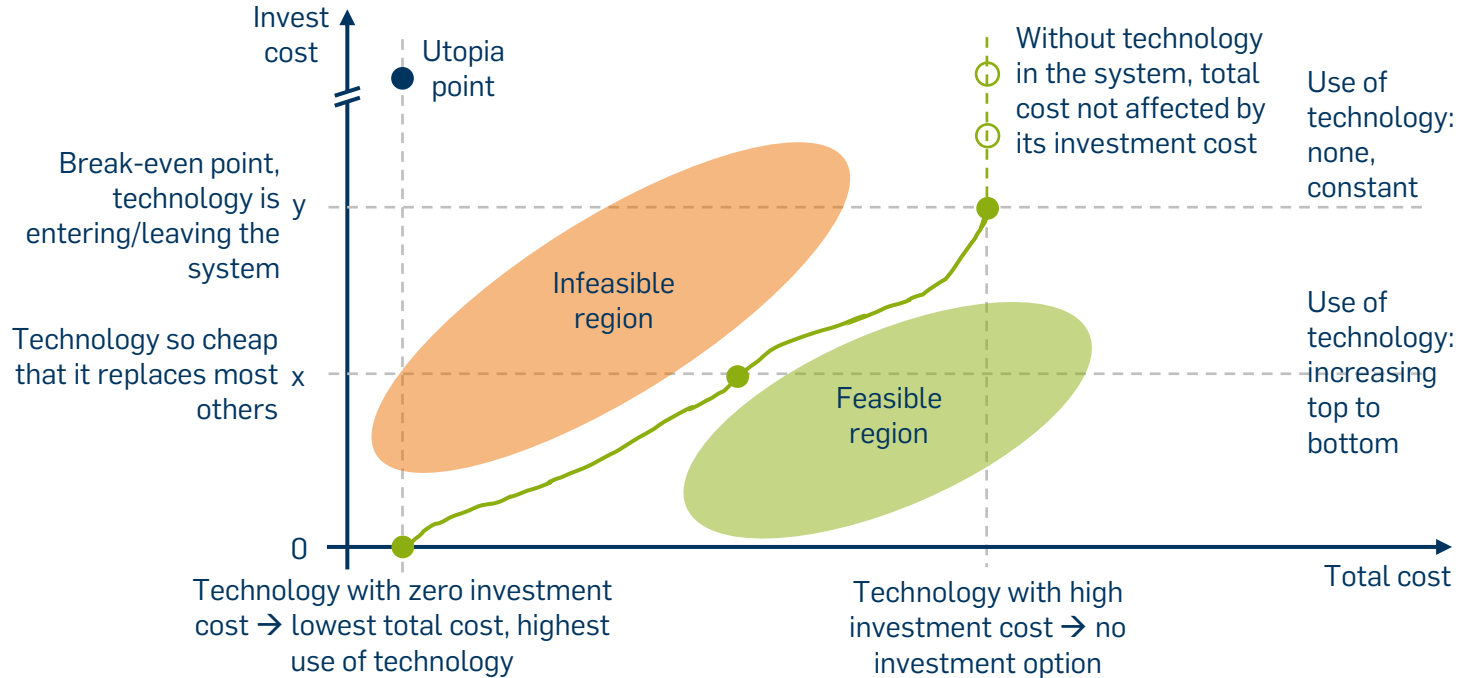


2a) Pareto solutions – inverted approach



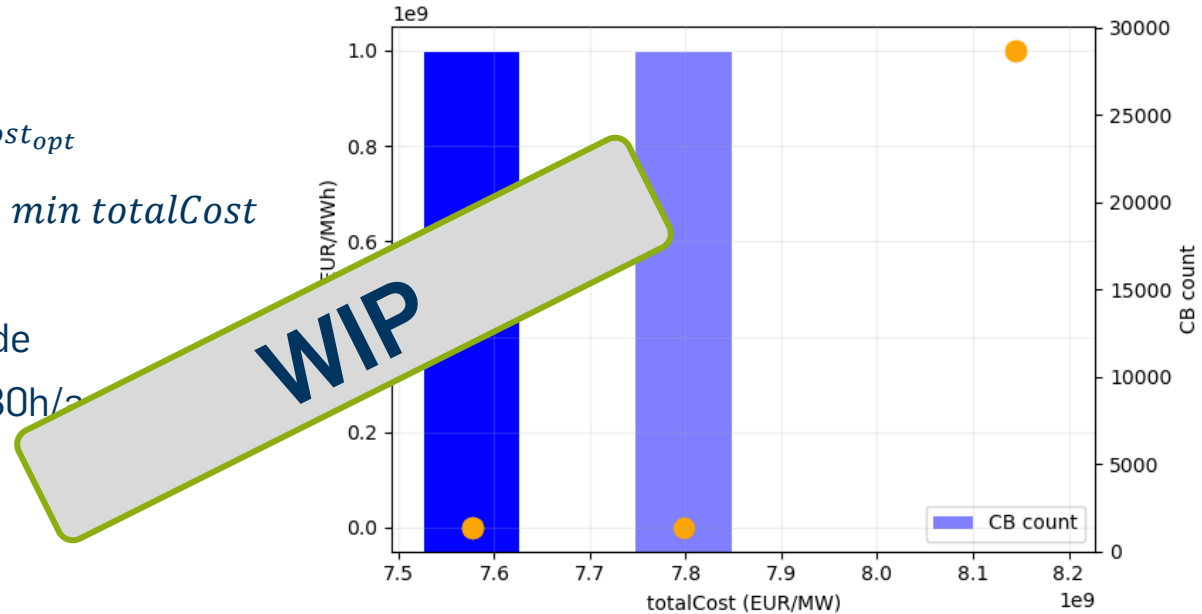
Preliminary results

General interpretation



First simulations

- Small testing system:
 - Backbone
 - Objective: $\max v^{investCost_{opt}}$
 - Constraint: $totalCost = \min totalCost$
 - Germany, 2050
 - Spatial resolution: 1 node
 - Temporal resolution: 730h/a



Conclusion and outlook

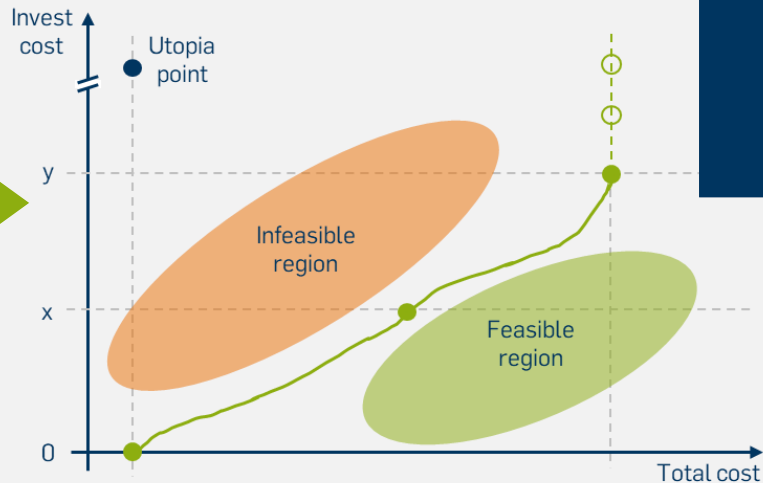
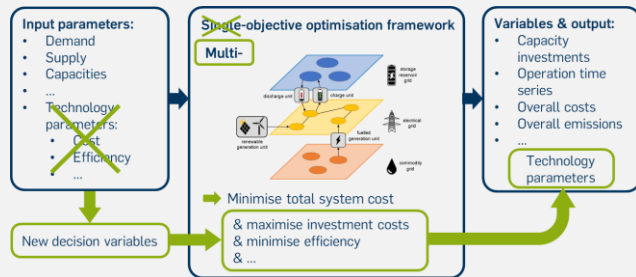
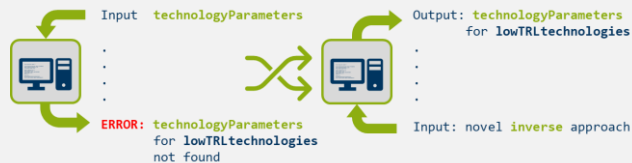
Conclusion and outlook

- **Conclusion:**

- **Motivation:** Potentials of low TRL technologies and their absence in current research/energy models
- **Aim:** Develop novel inverted approach to design low TRL technologies
- **Method:** Multi-objective inverse (MOIn) optimisation based on AUGMECON
- **Results:** Work in progress

- **Outlook:**

- Iteratively advance method:
 - Refine mathematical formulation
 - Incorporate more objectives and enlargen system
 - Explore potentials and limitations



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THANK YOU FOR YOUR
ATTENTION



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