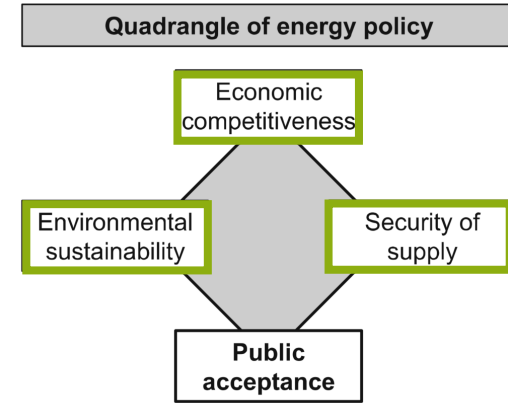
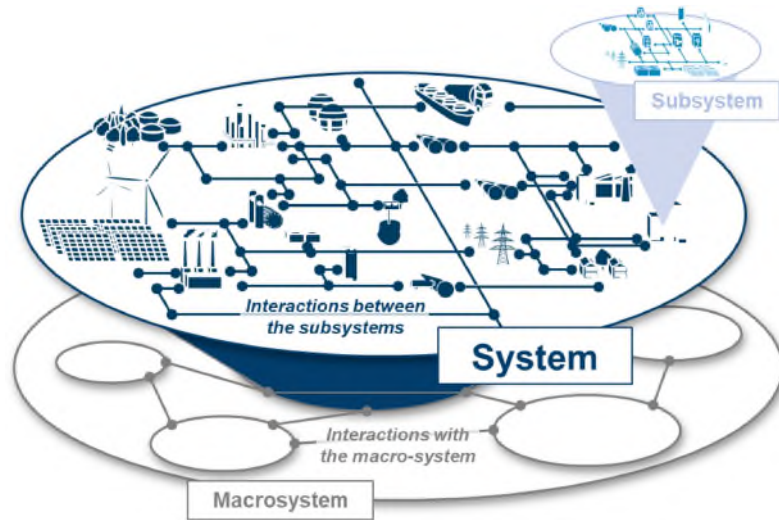


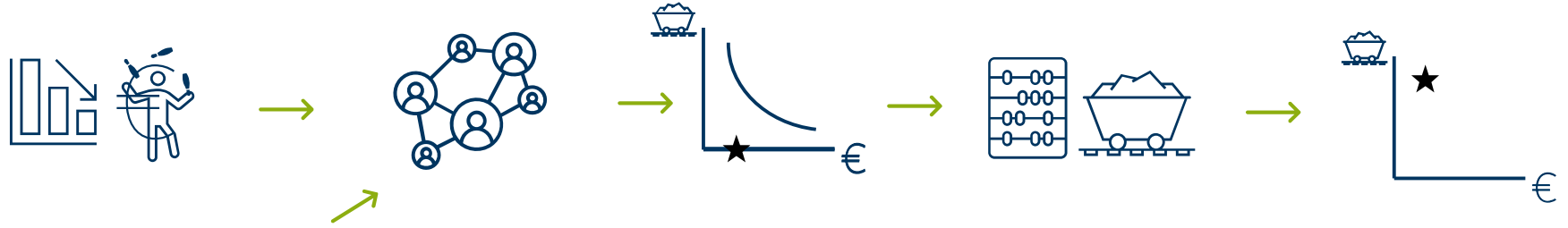
# Addressing supply risks in energy system models with multi-objective optimisation

**Jonas Finke**, Gianvito Colucci, Laura Savoldi, Valeria Di Cosmo, Valentin Bertsch

# Why is it relevant?

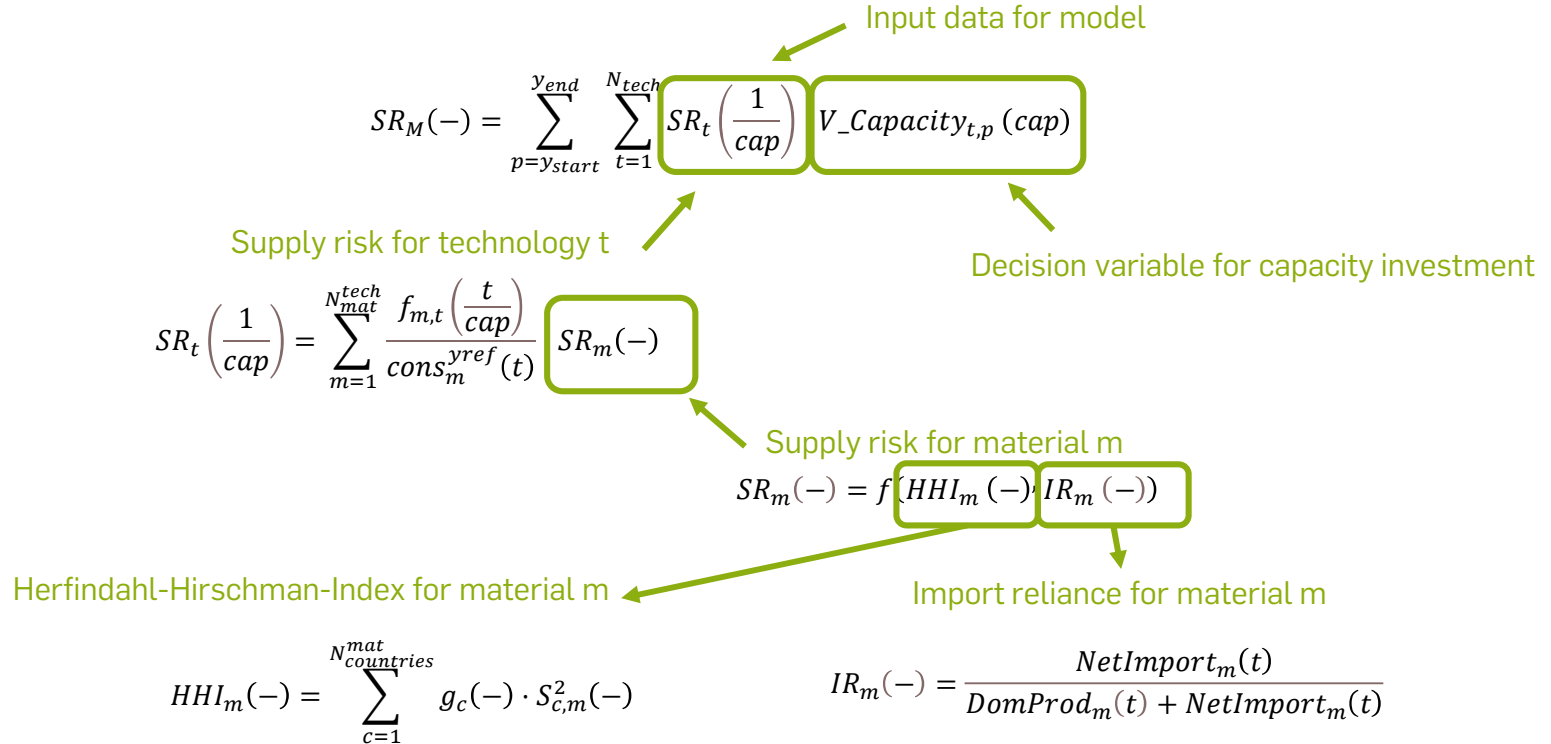


# How is it done?



# Material and energy supply risk metrics

# Material supply risk metric



# Energy supply risk metric

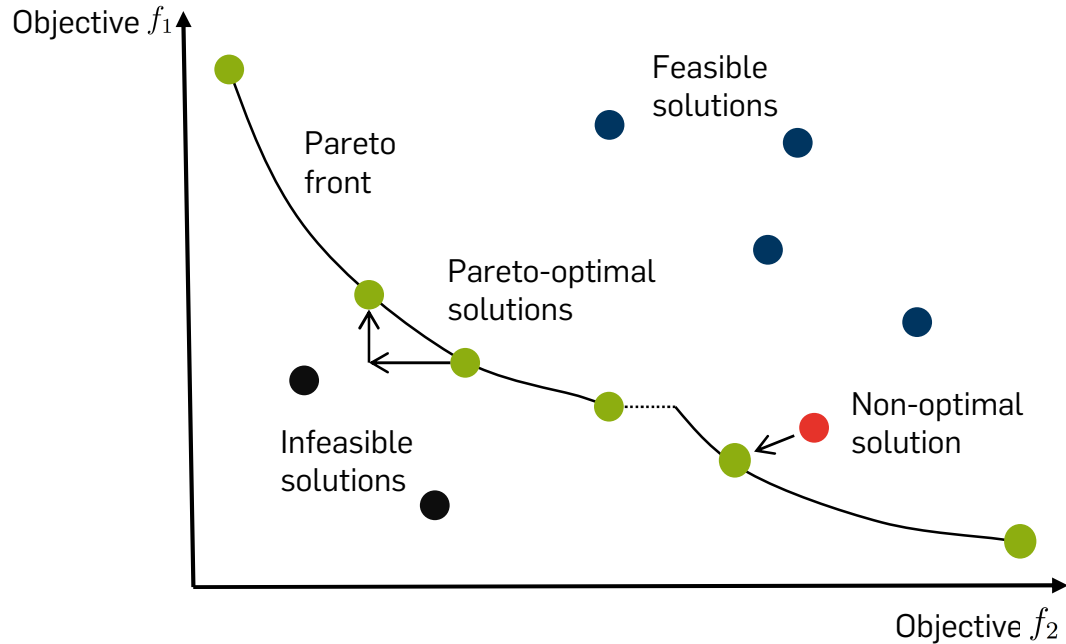
Decision variables for net energy import

$$SR_E(-) = \sum_{p=y_{start}}^{y_{end}} \sum_{e=1}^{N_{en}} HHI_e(-) \cdot \frac{(V\_flow_{e,p}^{import}(PJ) - V\_flow_{e,p}^{export}(PJ))}{cons_{energy}^{yref}(PJ)}$$

Input data for model

# Multi-objective optimisation method

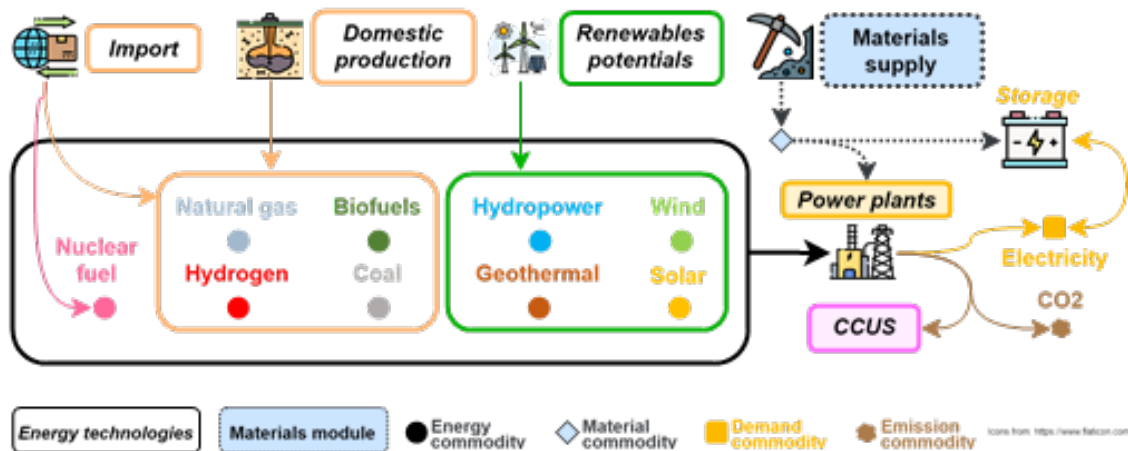
# Multi-objective optimisation with AUGMECON





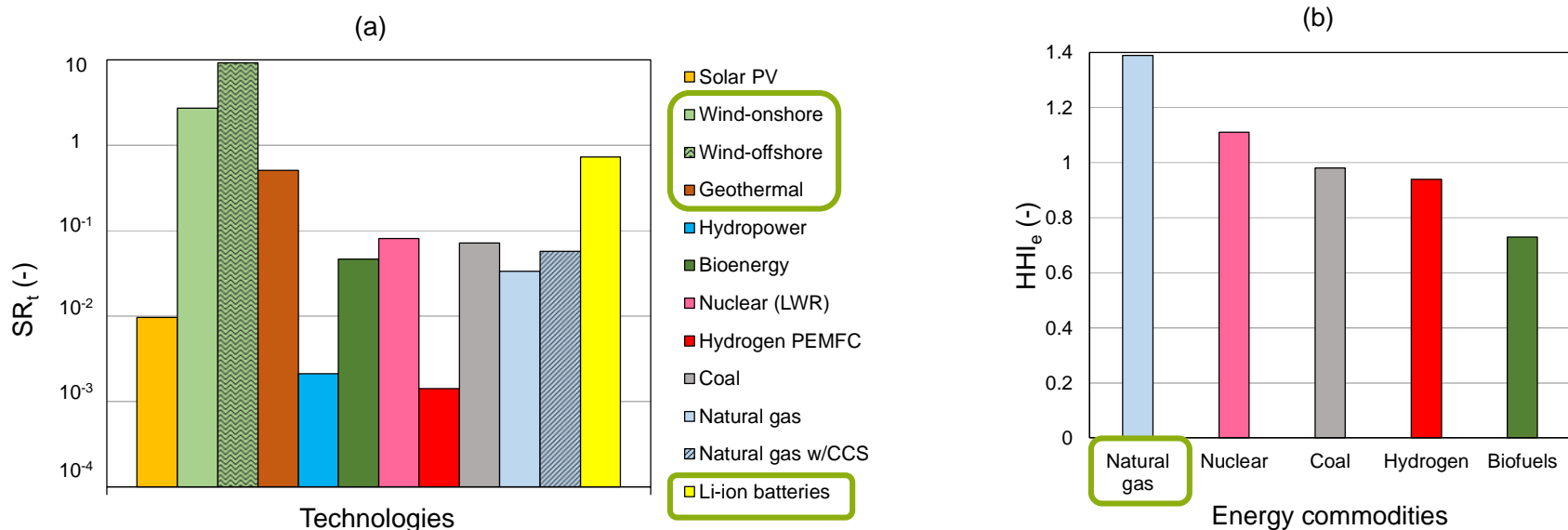
# Energy system model

# TEMOA Italy power sector model



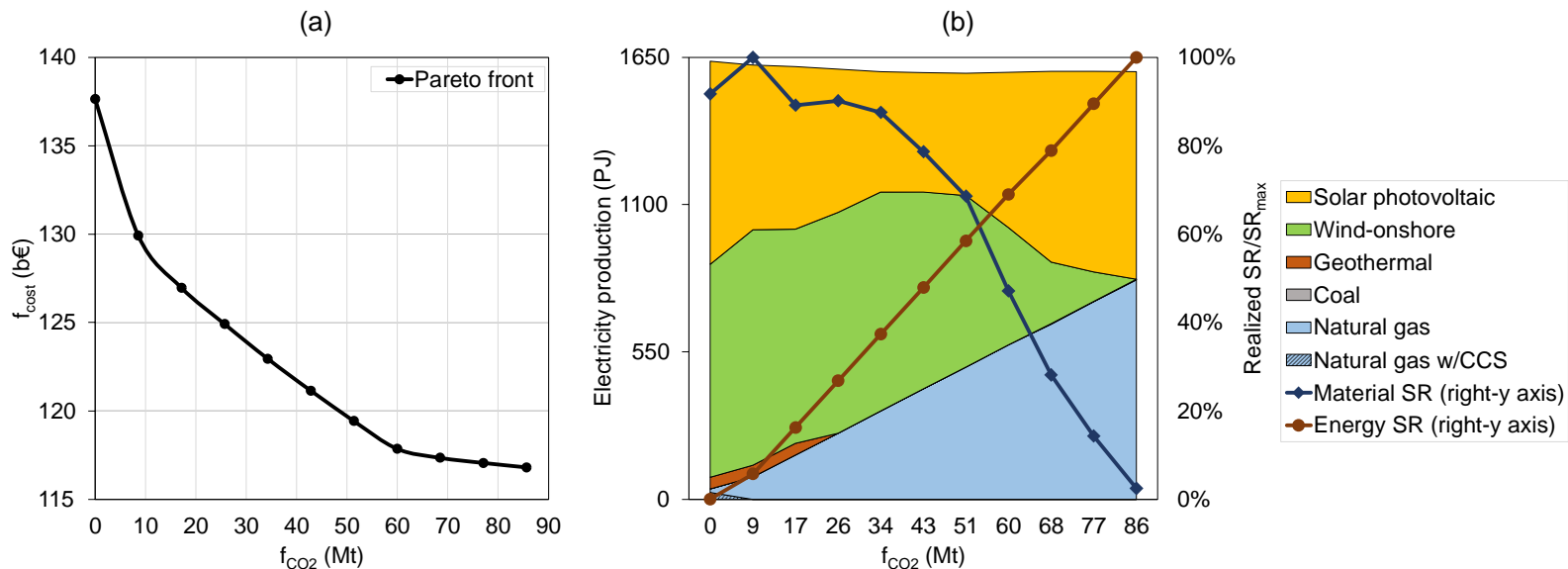
Openly available at  
<https://github.com/MAHTEP/TEMOA/tree/moo>  
<https://github.com/MAHTEP/TEMOA-Italy/tree/materials>

# Supply risks for individual power sector technologies and energy carriers in Italy

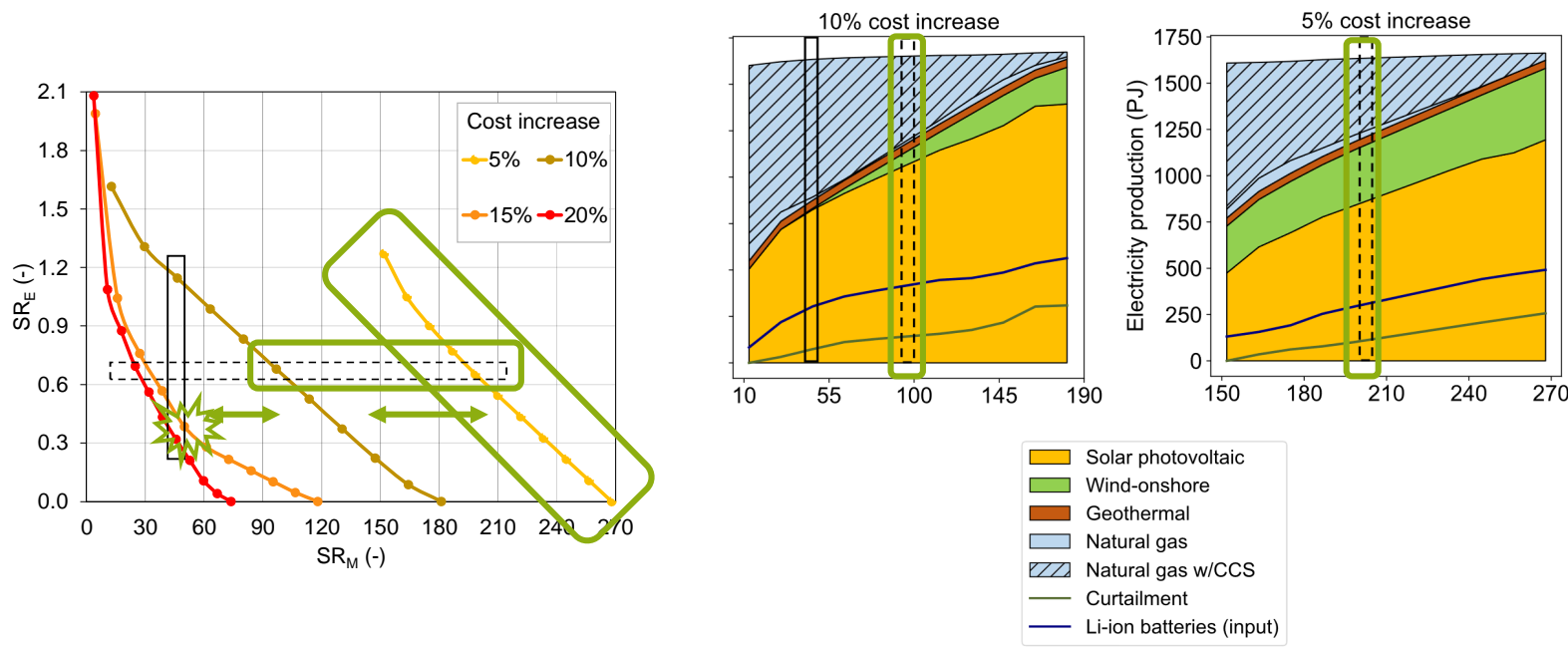


# Results

# Cost-efficient decarbonisation leads to uncontrolled rise of material supply risk



# Multi-objective optimisation of energy and material supply risk under cost and emission constraints



# Discussion

# Limitations

- Power sector only, but extension would be big effort in terms of data
- Static material and energy supply, but demand may affect supply for larger systems
- Supply risks only at material and energy level, but import of manufactured appliances / technologies may also induce supply risks
- No constraints on CCS availability, which may be limited technically or politically
- Usual model limitations (temporal, geographical and technical details)



# Conclusions

- Developed a first-of-a-kind energy system optimisation framework based on TEMOA
  - Endogenous material and energy supply risk metrics
  - Multi-objective optimisation with AUGMECON
  - Open-source: <https://github.com/MAHTEP/>
- Italian power sector case study
  - Decarbonisation and energy supply risk reduction coincide (both driven by natural gas)
  - Material supply risk rises sharply with cost-efficient decarbonisation due to wind and LIBs
  - Under decarbonisation, reducing material supply risk shifts wind to PV to gas w/CCS
  - Diminishing marginal utility of extra cost (supply risk reductions until 15%)
- May need supply risk reductions by new / diversified supply chains, domestic production or new energy technologies

# Thank you!

**Jonas Finke**

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# Backup

Table 1. Data and sources of the parameters needed to define the material SR metric. Concerning  $SR_m$ , two values for each material are reported. The one adopted in the manuscript is reported in the column “Equation (1)”. It was derived from the EU CRMs list [10], the value of which is reported in the column “EU”, by omitting the recycling and substitution factors. Indeed, they were neglected for consistency reasons with the energy SR metric.

⊕

Material	$SR_m(-)$ [10]		$cons_m^{yref}$ (Mt) [75]	$f_{m,t}(\frac{t}{GW})$											
	EU	Equation (1)		Wind [39], [6]		Solar PV [39], [6]	Geotherma l [6], [76]	Hydropowe r [6], [56]	Bioenergy [6], [56]	Nuclea r (LWR) [6], [76]	Hydrogen PEMFC [34], [77], [78], [79], [80], [81]	Natural gas [76], [81]		Li-ion batteries [76]	
				Onshor e	Offshore							w/o CCS	w/ CCS		
Aluminum	1.2	2.1	$1.6 \cdot 10^1$	6750.0	901.4	478.8		3400.0	3900.0				4.8	4.8	5796.0
Boron	3.6	3.7	$1.9 \cdot 10^{-2}$		0.1	0.5									
Cobalt	2.8	3.7	$1.1 \cdot 10^{-2}$						2.0			201.5	71.1	78.6	720.0
Copper	0.1	0.3	2.1	4150.1	1292.4	1938.6	3605.0	1050.0	2270.0	764.8	14.3	1150.0	355.4	1047.4	2616.0
Dysprosium (HREE)	5.6	5.7	$1.1 \cdot 10^{-6}$		0.5	1.6									
Gallium	3.9	4.0	$3.3 \cdot 10^{-5}$	$1.5 \cdot 10^{-2}$											
Hafnium	1.5	1.6	$1.1 \cdot 10^{-5}$							0.5					
Lithium	1.9	2.0	$1.8 \cdot 10^{-3}$												438.0
Manganese	1.2	1.3	$2.7 \cdot 10^{-1}$		564.5	569.9	4325.0	200.0				4.6	24.1	3785.1	660.0
Neodymium (LREE)	4.5	4.6	$1.2 \cdot 10^{-4}$		4.1	16.3									
Nickel	0.5	0.6	$2.6 \cdot 10^{-1}$		287.3	194.4	120155.0	215.0	20.0	778.0		721.5	29.2	1174.2	2160.0
Niobium	4.4	4.6	$2.8 \cdot 10^{-3}$										5.3	5.3	
Phosphorus	3.3	3.4	$7.4 \cdot 10^{-2}$										0.9	0.9	
Platinum	2.1	2.5	$7.2 \cdot 10^{-5}$								$4.0 \cdot 10^{-2}$				
Praseodymiu m (LREE)	3.2	3.3	$1.1 \cdot 10^{-4}$		0.6	3.1									
Silicon	1.4	1.4	$4.2 \cdot 10^{-1}$	1900.0									17.3	17.3	
Terbium (HREE)	4.9	5.4	$5.9 \cdot 10^{-6}$		0.1	0.6									
Titanium	1.6	1.6	$1.4 \cdot 10^{-2}$				1634.0		400.0	1.5		23.0	4.8	4.8	
Vanadium	2.3	2.7	$4.4 \cdot 10^{-3}$							0.6			8.2	8.2	
Yttrium (HREE)	3.5	3.9	$2.2 \cdot 10^{-4}$							0.5					

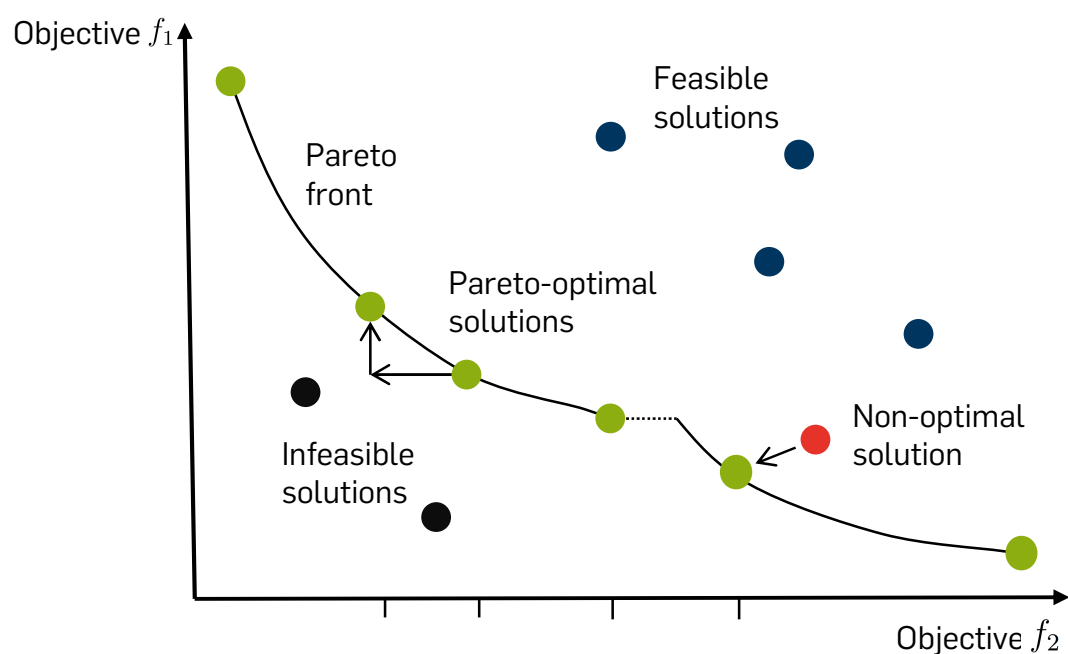
Table 2. Sub-technological shares adopted to derive a generic  $SR_t^{st}$  for solar PV and onshore and offshore wind (the latter shares are in parenthesis).

<b>Technology</b>	<b>Sub-technology</b>	<b>2050 share [6]</b>
<b>Solar PV</b>	<i>c-Si</i>	95%
	<i>CdTe</i>	4%
	<i>CIGS</i>	1%
<b>Wind-onshore (offshore)</b>	<i>GB-PMSG</i>	10% (15%)
	<i>GB-DFIG</i>	70% (15%)
	<i>DD-EESG</i>	6% (0%)
	<i>DD-PMSG</i>	14% (85%)

Table 3. Data and sources of the parameters needed to define the energy SR metric. Although only the top three supplier countries are shown, all supplier countries are used to derive the  $HHI_e$ . Moreover, note that a high value for  $g_c$  refers to a low stability while a low  $g_c$  value refers to a high stability.

Energy commodities	Geographical scope	Top three supplier countries	$S_{c,e}$	$g_c(-)$ [74]	$HHI_e (-)$
<i>Natural gas</i>	Italy [85]	Algeria	37.0%	6.72	1.39
		Russia	20.2%	6.29	
		Azerbaijan	14.6%	6.39	
<i>Coal</i>	Italy [86]	Russia	32.8%	6.29	0.98
		South Africa	18.2%	4.69	
		United States	13.0%	2.68	
<i>Nuclear</i>	EU [87]	Kazakhstan	27.0%	5.72	1.11
		Niger	25.4%	6.50	
		Canada	22.0%	1.79	
<i>Hydrogen</i>	EU [89]	Australia	59.7%	1.92	0.94
		Brazil	15.0%	5.40	
		Chile	15.0%	3.08	
<i>Biofuels</i>	Global [91]	United States	38.1%	2.68	0.73
		Brazil	21.8%	5.40	
		Indonesia	10.5%	5.32	

# Multi-objective optimisation with AUGMECON



$$\begin{array}{lll} \min (f_1 - s) & \text{s.t.} & f_2 + s = \epsilon \\ \text{Objective 1} & & \text{Objective 2} \quad \text{Caps} \end{array}$$

Slack variable

1. Determine boundaries
2. Decide on desired number and distribution of solutions ( $\rightarrow$  caps)
3. Solve above problem for each cap

